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SMC updates T-Bird's look

Sheet moulding compound (SMC) is a composite material, typically consisting of chopped glass fibre dispersed in a thermoset polymer matrix (often an unsaturated polvester resin), combined with various additives and fillers. The components are processed to make a continuous sheet of material which can then be cut into blanks and processed in a press under pressure and temperature to produce shaped, cured parts. The ability to press-mould medium-to-large sized components has attracted the automotive industry, where it is used to produce Class A parts such as door panels, hoods (bonnets), fenders (wings), and trunk (boot) lids. ('Class A' is the automotive industry's terminology for the surface quality required for body panels.)

The Automotive Composites Alliance (ACA), based in Rochester, Michigan, USA, forecasts a 44% increase in production of reinforced thermoset composites for the automotive and heavy truck industries over the next few years to reach nearly 500 million lbs (226 800 tonnes) by 2005. Much of this growth will result from SMC components used in the development of new models. One current example is Ford's 2002 Thunderbird, where 60% of the exterior body panels are made of thermoset composites. The hood, front fenders, grille opening reinforcement, decklid and removeable top and CHMSL panel located between the trunk lid are made from SMC. Budd supplies the body panels. Venture Industries the removeable top, and Meridian Automotive the CHMSL. The roof module integrates the SMC inner and outer panels, headliner, package shelf, framework for the car's distinctive porthole windows, and all seals, hatches and hinges.

Tooling costs for the new T-Bird are reported to have be cut by around 50% by choosing SMC for most of the key exterior panels. It also gave styling advantages, such as the integral scoops in the hood, which were not possible with steel. First-year prodution is expected to reach 30 000 units.



Ford's 2002 T-Bird makes an impact with the help of SMC. (Picture © Wieck Media Services Inc.)

"Prepreg" Composite Tape



Figure 18.17 (a) Manufacturing process for polymer-matrix composite. Source: T.W. Chou, R.L. McCullough, and R.B. Pipes. (b) Boron-epoxy prepreg tape. Source: Avco Specialty Materials/Textron.

S. Kalpakijan and S.R. Schmid, *Manufacturing Engineering and Technology*, 4th edition, Prentice Hall, Upper Saddle River, NJ, 2001.

"Prepreg" Tape Layup



(b)

Figure 18.18 (a) Single-ply layup of boron-epoxy tape for the horizontal stabilizer for F-14 fighter aircraft. Source: Grumman Aircraft Corporation. (b) A 10 axis computer-numerical-controlled tape-laying system. This machine is capable of laying up 75 mm and 150 mm (3 in. and 6 in.) wide tapes, on contours of up to $\pm 30^{\circ}$ and at speeds of up to 0.5 m/s (1.7 ft/s). Source: Courtesy of The Ingersoll Milling Machine Co.

S. Kalpakijan and S.R. Schmid, *Manufacturing Engineering and Technology*, 4th edition, Prentice Hall, Upper Saddle River, NJ, 2001.

Halpin-Tsai equations are interpolations of the exact solutions (numerical methods). Their utility lies in adaptability for various fiber geometries & arrangements.

$$E_{11} \cong E_f V_f + E_m V_m$$
 (H-T 1) p = composite moduli, E_{22} , G_{22} , G_{23} , v_{23}

 $v_{12} \approx v_f V_f + v_m V_m$ (H-T 2) p_f = corresponding fiber moduli, E_f , G_f , v_f

(H-T 3)
$$p_m$$
 = corresponding matrix moduli, E_m , G_m , v_m

$$\eta = \frac{\left(p_f / p_m - 1\right)}{\left(p_f / p_m + \zeta\right)}$$

 $\frac{p}{p_m} = \frac{1 + \zeta \eta V_f}{1 - \eta V_f}$

(H-T 4) $\zeta = f(reinforcement dependence on boundary conditions – fiber geometry and arrangement)$

RVEs – See book chapter by Halpin, e.g.:



(a) particulate reinforcement

$$\zeta_E = \zeta_{E_{22}} = 2 + 40 \cdot V_f^{10} \qquad E/E_m \to (\text{H-T 3})$$

$$\zeta_G = \zeta_{G_{12}} = 1 + 40 \cdot V_f^{10} \qquad G/G_m \to (\text{H-T 3})$$

(b) voids or a foam $p/p_m \rightarrow 0$ \therefore $\eta_E = 1/\zeta_E$ and $\eta_G = 1/\zeta_G$ $\zeta_E = 2a/b$ $E/E_m \rightarrow (H-T 3)$ $log(\zeta_G) = \sqrt{3}log(a/b)$ $G/G_m \rightarrow (H-T 3)$

(c) oriented continuous fibers $E_{11} \rightarrow (H-T 1)$

$$\begin{split} \zeta_{E_{22}} &= 2 + 40 \cdot V_f^{10} & E_{22}/E_m \to (\text{H-T 3}) \\ \zeta_{G_{12}} &= 1 + 40 \cdot V_f^{10} & G_{12}/G_m \to (\text{H-T 3}) \\ \zeta_{G_{23}} &\cong \frac{1}{4 - 3v_m} & G_{23}/G_m \to (\text{H-T 3}) \\ v_{23} &\cong 1 - (E_{22}/G_{23}) & v_{12} \to (\text{H-T 2}) \end{split}$$

(d) oriented discontinuous fibers

Let *L*/*d* = longitudinal aspect ratio = length/diameter (or thickness)

$\zeta_{E_{11}} = 2(L/d) + 40 \cdot V_f^{10}$	$E_{11}/E_m \rightarrow (\text{H-T 3})$
$\zeta_{E_{22}} = 2 + 40 \cdot V_f^{10}$	$E_{22}/E_m \rightarrow (\text{H-T 3})$
$\zeta_{G_{12}} = 1 + 40 \cdot V_f^{10}$	$G_{12}/G_m \rightarrow (\text{H-T 3})$
$\zeta_{G_{23}} \cong \frac{1}{4 - 3\nu_m}$	$G_{23}/G_m \rightarrow (H-T 3)$
$v_{23} \cong 1 - (E_{22} / G_{23})$	<i>v</i> ₁₂ → (H-T 2)



(f) oriented, discontinuous ribbon or lamellar shaped reinforcement (e.g., plate)

$$\begin{aligned} \zeta_{E_{11}} &= 2(L/t) + 40 \cdot V_f^{10} & E_{11}/E_m \to (\text{H-T 3}) \\ \zeta_{E_{22}} &= 2(w/t) + 40 \cdot V_f^{10} & E_{22}/E_m \to (\text{H-T 3}) \\ \xi_{G_{12}} &= \left[(L+w)/2t \right]^{1.73} + 40 \cdot V_f^{10} & G_{12}/G_m \to (\text{H-T 3}) \end{aligned}$$